

What is type 2 diabetes?

○ **Insulin resistance**

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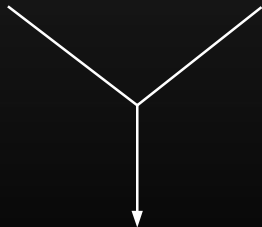
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- insulin resistance
- β -cell failure

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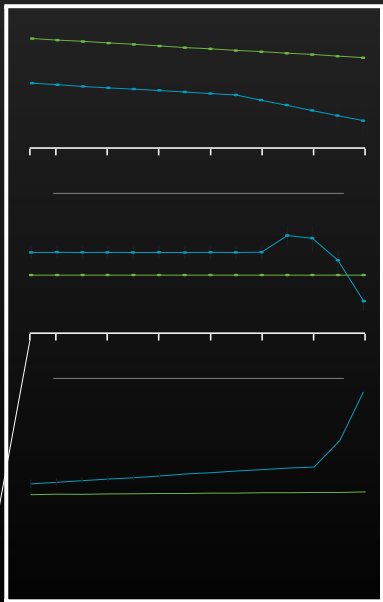
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○ **Insulin failure**

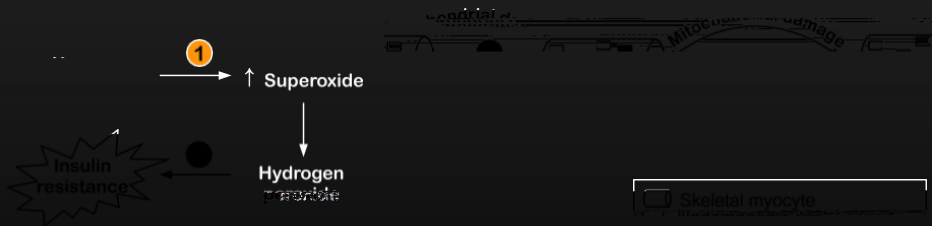
Type 2 diabetes dynamics

Type 2 diabetes dynamics



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Skeletal muscle insulin resistance

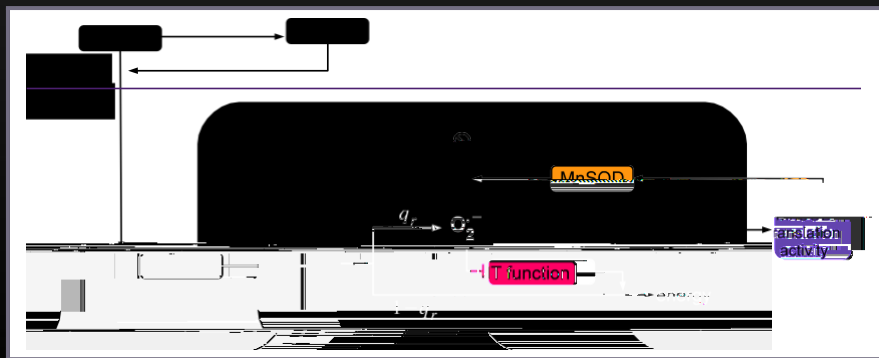
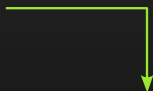
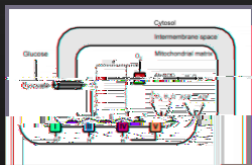


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Subsystem I: superoxide production



Subsystem I equations

? G reference parameter for food intake, with an increasing function of G .

? F mitochondrial function variable; form specified in feedback coupling.

Plasma glucose:

$$\frac{dG}{dt} = \underbrace{|\{z\}}_{\text{food intake}} + \underbrace{\frac{hg}{|\{z\}}}_{\text{production}} - \underbrace{kgG}_{\text{insulin-independent uptake}} - \underbrace{\frac{SGI}{|\{z\}}}_{\text{insulin-dependent uptake}}$$

Plasma insulin:

$$\frac{dI}{dt} = \underbrace{hiB \frac{G^2}{G + G_h}}_{\text{production}} - \underbrace{kiI}_{\text{clearance}} |\{z\}$$

Intracellular glucose:

$$\frac{dG_i}{dt} = \underbrace{\gamma_1 \frac{SGI}{|\{z\}}}_{\text{uptake from plasma}} - \underbrace{k_q \frac{G}{|\{z\}} \gamma}_{\text{glucose processing}}$$

Subsystem I equations

? G reference parameter for food intake, with an increasing function of G .
 ?

$$\frac{dZ}{dt} = G - \frac{Z}{\tau} - k_1 Z^2$$

$$\frac{dZ}{dt} = \left\{ \frac{G}{\text{production}} \right\} - \text{clearance}$$

g_i activation c energy production r superoxide production

$$\frac{dA_s}{dt} = \frac{c}{a_a E} - \frac{r s}{k_{rs} A_s} - \frac{r s}{k_{rs} A_s}$$

Antioxidant:

Mitochondrial dysfunction: assumptions

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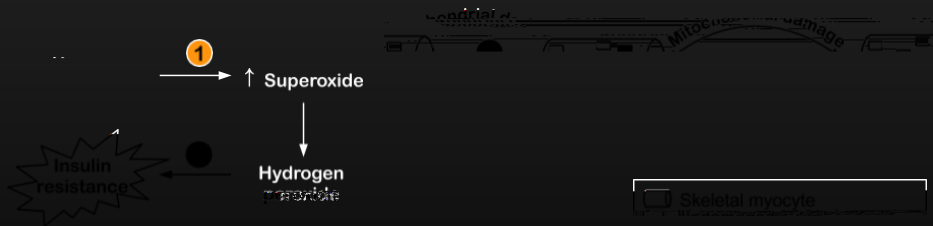
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Skeletal muscle insulin resistance



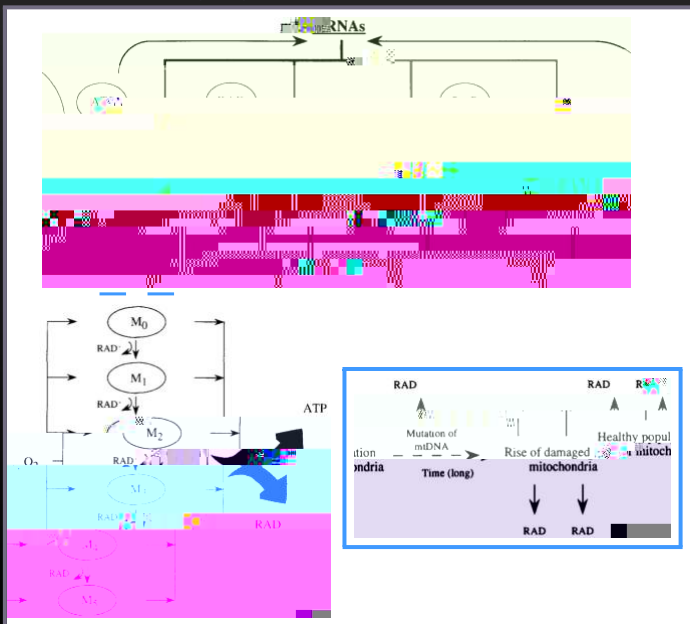
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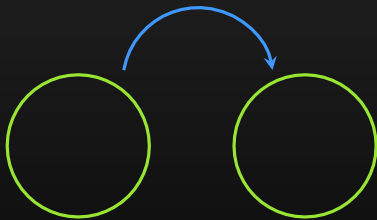
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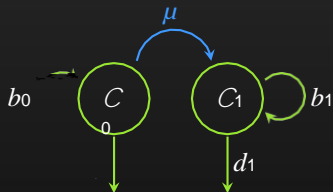
MARS: A network theory of aging

M
A
R





Modeling mitochondrial selection: setup



$M_0(t) :=$

C_0

(

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Modeling mitochondrial selection: state transitions

$$A \begin{array}{c} \text{"} \\ \# \\ \text{"} \\ M_0 \\ M_1 \end{array} \begin{array}{cc} 1 & -1 \\ -1 & 1 \end{array}$$

$$\begin{array}{cccc} & & 1 & \\ & & & 0 & 1 \end{array}$$

$$\begin{array}{cccc} & & 1 & \\ & & & 0 & 1 \end{array}$$

Mean time to total damage

$$T_i :=$$

i

x ↘

Superoxide-to-damage feedback

$$\mu(t) := \mu_0 \left(1 + \frac{R_s(t)}{R_{s0}} - 1 \right)^h$$

$$j(t) := \Pr(M_1 = j)$$

$$\begin{aligned} \frac{d}{dt} \hat{q}_0 &= -\hat{q}_0 + \hat{p}_1, \dots, \\ \frac{d}{dt} \hat{q}_j &= \hat{q}_{j-1} - (\hat{q}_j + \hat{p}_j) + \hat{p}_{j+1}, \dots, \\ \frac{d}{dt} \hat{q}_{K-1} &= \hat{q}_{K-1} - \hat{p}_{K-1} \end{aligned}$$

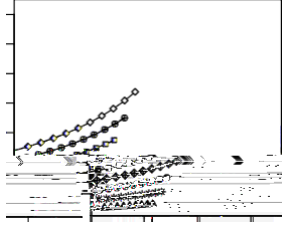
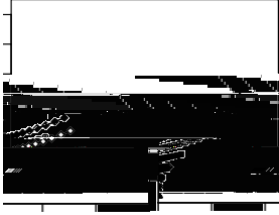
$$D(t) = \Pr(M_1 = 1) = \sum_{j=1}^K j(t)$$

Feedback models I –

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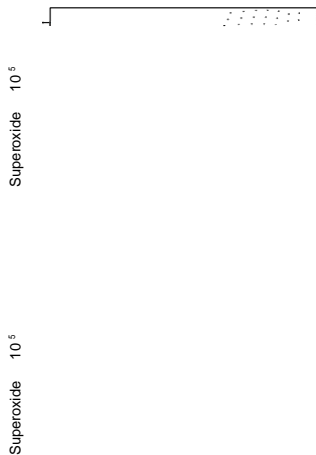
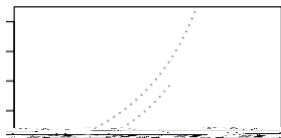
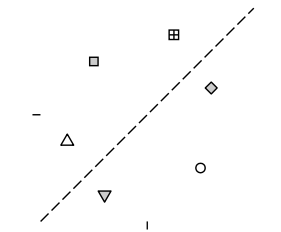



$$F_{\text{TMDM}} = (1 \ -L)(1 \ -D)$$



Superoxide

Results III: response to mitochondrial selection



Results IV: response to selection parameters



